



# TREASURY RESOURCES

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# A Practical Approach to Calculating Emerging Market Costs of Equity

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# Agenda

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- ◆ Why firms might need international cost of capital estimates.
- ◆ A framework to generate benchmark, cost of equity estimates.

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# Why International Costs of Capital?

# International Activities

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- ◆ Cross-border investments face a host of unique risks, including
  - tax, regulatory, and legal uncertainties,
  - currency regime uncertainties, and
  - macroeconomic, political, and business uncertainties.
  
- ◆ To allocate resources effectively, it is critical to *understand, measure, and value* these risks.

# Investment/Performance Analysis

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$$\textit{Valuation} = \underbrace{-\$70m}_{\textit{Capital / Investment}} + \underbrace{\frac{\$25m}{(1+r_{\textit{Mexico}})^1}}_{\textit{year 1}} + \underbrace{\frac{\$25m}{(1+r_{\textit{Mexico}})^2}}_{\textit{year 2}} + \dots$$

## ◆ Issues:

- Cash flows ... how good are our estimates?
- The discount rate ... what is  $r_{\text{Mexico}}$  ?
- The big question ... what are the relevant risks?

# Cash Flows

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- ◆ Scenario analysis can be useful in assessing risks.
  - Insights into consequences of specific “events”
    - financial crises
    - currency devaluation
    - bouts of hyperinflation, etc
  - Insights into break-even levels, critical thresholds ultimate viability of activity.
- ◆ However, even with scenario analysis, need appropriate, *risk-adjusted discount rates*.

# Risk-Adjusted Discount Rates

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- ◆ Risk-adjusted discount rates used for a variety of purposes, such as:
  - Discounting expected/possible cash flows (NPV analysis);
  - Acting as benchmarks/hurdle rates for investments in specific countries/sectors;
  - Assessing the relative values of investments, or the relative performance of business units, across countries.
- ◆ These risk-adjusted discount rates the focus of the remainder of this session.

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# A Framework to Generate Cost of Capital Estimates

# Goals

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- ◆ A useful framework should:
  - generate *benchmark* cost of equity estimates.
    - capture the relevant risks of cross-border investments.
  - prove systematic and applicable to a large number of countries;
  - be easy to understand.

## Issues ~ What Currency Perspective?

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- ◆ Foreign currency:
  - Evaluate flows denominated in foreign currency.
  - No *explicit* consideration of currency trajectory.
- ◆ Base currency (e.g., USD):
  - Translate flows into USD, then evaluate.
  - Explicit consideration of currency effects.
    - Permits consideration of alternative scenarios.
  - Greater availability of relevant data?
  - Permits comparison to domestic cost of capital.
- ◆ If analysis performed correctly, currency perspective should not matter.
- ◆ As “reasonableness check,” perform analysis both ways.

## Issues ~ What Framework?

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- ◆ As a starting point, we might begin with the Capital Asset Pricing Model (CAPM).
  - Under CAPM, expected return is equal to (1) a risk-free rate, plus (2) an equity premium, defined as the asset's beta times the market risk-premium.

$$E(R_i) = \underbrace{R_f}_{\substack{\text{risk} \\ \text{free} \\ \text{rate}}} + \beta_i * \underbrace{(R_m - R_f)}_{\substack{\text{risk} \\ \text{premium} = \\ \text{expected market} \\ \text{return less} \\ \text{risk free rate}}}$$

- The market risk-premium is the amount by which the market is expected to outperform the risk-free rate.

## What Framework?

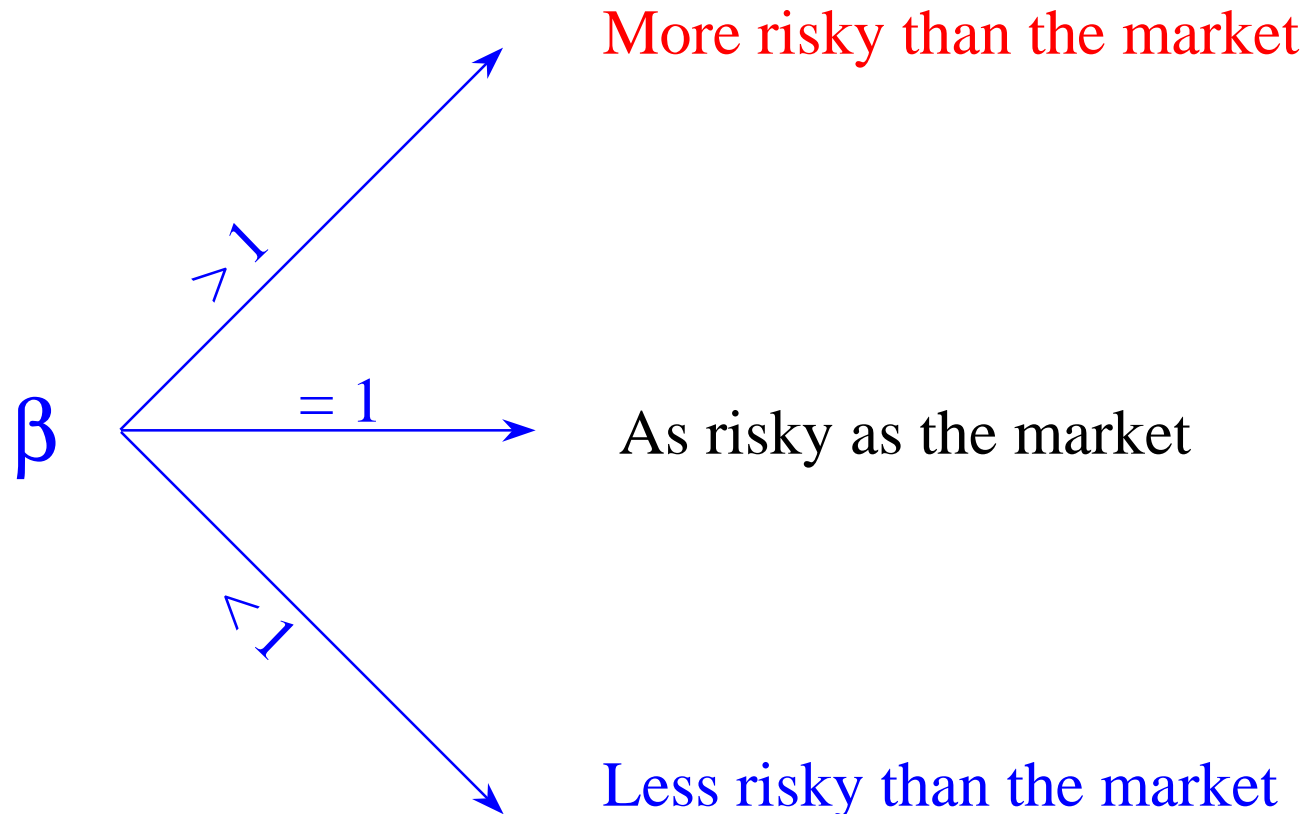
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- ◆ Query ~ Is it appropriate to use standard CAPM to determine country-specific discount rates?
  - Theoretical concern ... Does the framework capture the risks of potential “regime” changes and transfer risks?
  - Practical considerations ... do the results yielded by simple CAPM seem appropriate?
- ◆ On both grounds, we suggest modifications to a standard CAPM.

# What Framework?

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## ◆ Interpretation of Beta:



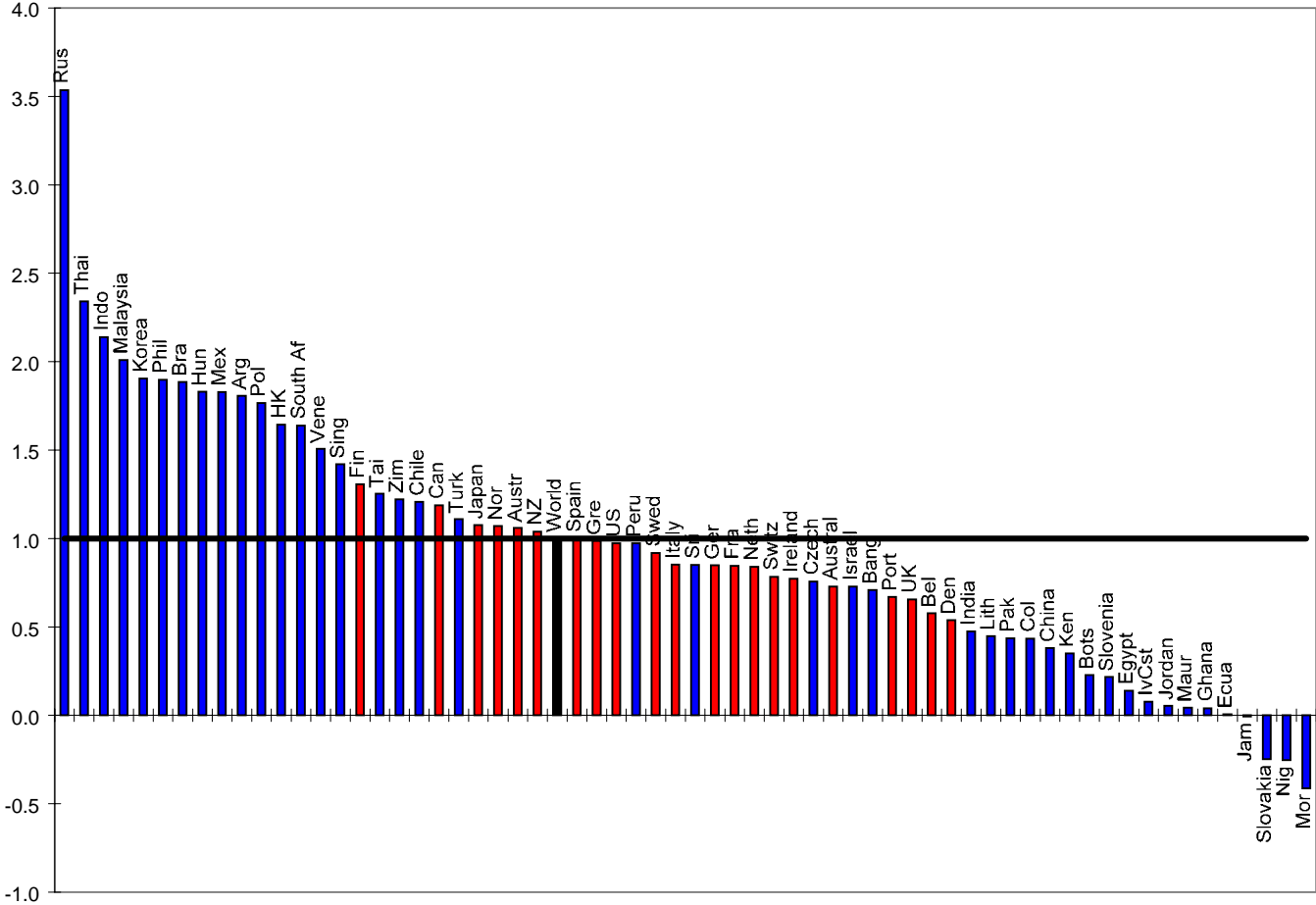
# What Framework?

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- ◆ Estimated country/equity betas yield surprising results:
  - many (especially emerging market) betas less than 1
    - “risk” of foreign investments/activities (even emerging markets) relatively easily diversifiable?
  - many emerging market betas lower than those for developed countries
    - relatively less non-diversifiable risk?

# What Framework?

## Estimated Country Betas (CAPM)



# What Framework?

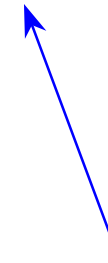
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## ◆ Beta in CAPM:

$$\beta = \text{correlation}(r_i, r_m) \times \sigma_i / \sigma_m$$



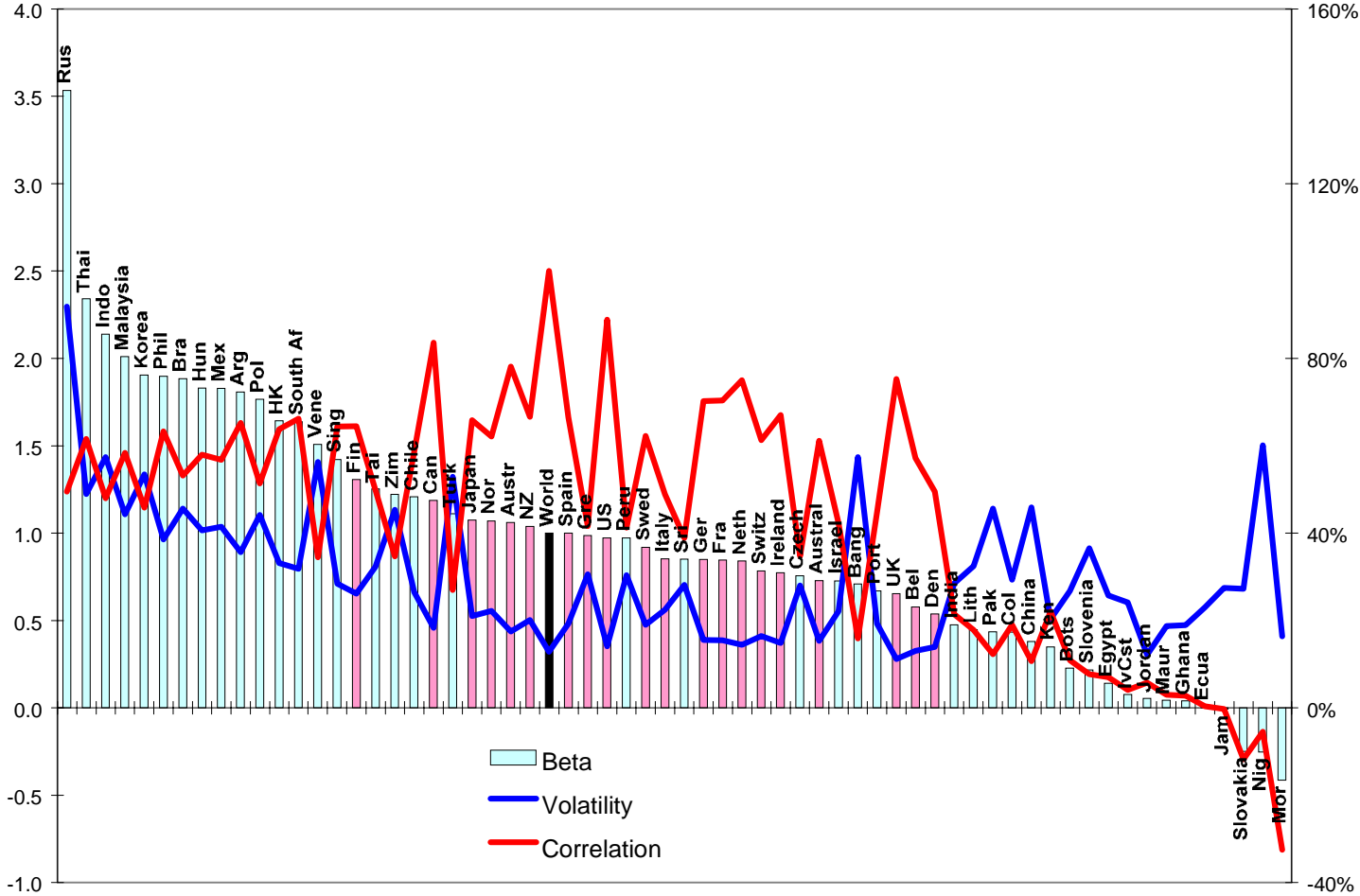
**The correlation  
between the  
returns to the  
asset/project  
and the market**



**The ratio of the  
volatility of the  
asset/project to  
the volatility of  
the market.**

# What Framework?

## Volatility and Correlation



## What Framework?

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- ◆ The “low” betas for many foreign countries reflect a combination of:
  - comparable or even high equity market volatility (especially in some emerging markets), and
  - *low correlation* (especially for some emerging markets) with the global market.
- ◆ In general, low estimated betas tend to reflect low measured correlation.

# What Framework?

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## ◆ Query ~

- Does low correlation represent potential to diversify away risks?
- Or, does it suggest market segmentation, a potential risk?

## ◆ To the extent that low correlation reflects market segmentation, then

- standard beta provides biased (low) estimate of the risk associated with foreign market,
- risk premium calculated using standard beta will be too low.

## ◆ But, what alternative?

# Proposed Framework

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- ◆ Incorporate several adjustments to standard CAPM:

$$R_i = R_{f,US} + \text{Credit Spread}_i + \beta_{a i} \times \text{Risk Premium}_m$$

USD risk-free interest rate

Spread to reflect the credit quality of country i

Adjusted beta for country i

Market risk premium

# Implementing the Framework

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## ◆ Credit Spreads:

- Spreads on sovereign debt *denominated in hard/reserve currencies* can provide insight into the appropriate credit spread
- Sources of credit spread information
  - Global, Euro, Dragon bonds
  - Yankee issues
  - Brady bonds

# Implementing the Framework

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- ◆ Assessment of relevant credit spread requires some judgment because
  - Across countries, actual issues differ in tenor, duration, liquidity, and other terms and characteristics.
  - Yields, and therefore yield spreads, change over time.
  - Many countries have not issued traded, “hard” currency (i.e., USD) denominated debt.

# Implementing the Framework

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## ◆ Adjusted beta:

- Step 1: Modify traditional beta to deal with low correlations of markets across countries.

To that end, define a variable  $\nu$  as:

$$\begin{aligned}\nu_i &= \text{vol of foreign market}_i \div \text{vol of US market} \\ &= \sigma_i / \sigma_m\end{aligned}$$

- Motivation:

- Consider the foreign market as a leveraged version of the market portfolio
  - ◆ Leverage scales up the “risk” of the market portfolio.
  - ◆ What effect on expected return?

# Implementing the Framework

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## ◆ The effect of leverage:

<u>Volatility</u>	<u>Expected return</u>
\$1 invested in the market: $\sigma_m$	$r_m$
\$1+ $\delta$ invested in market: ( $\delta$ borrowed) $(1 + \delta) \sigma_m$	$r_m + \delta(r_m - r_{f,USD})$ $r_{f,USD} + (1 + \delta)(r_m - r_{f,USD})$

## Implementing the Framework

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### ◆ Leverage continued:

- If we choose  $\delta$  so that:

vol of leveraged market portfolio = vol of foreign market,

or, 
$$(1 + \delta) \sigma_m = \sigma_i$$

so, 
$$(1 + \delta) = \sigma_i / \sigma_m = v_i$$

then, the expected return to the portfolio is:

or, 
$$r_p = r_{f,US} + (1 + \delta) (r_m - r_{f,US})$$

or, 
$$r_p = r_{f,US} + (\sigma_i / \sigma_m) (r_m - r_{f,US})$$

or, 
$$r_p = r_{f,US} + v_i (r_m - r_{f,US})$$

- So, with leverage as a proxy for foreign risk, we might use  $v_i$  as an adjusted beta.



# Implementing the Framework

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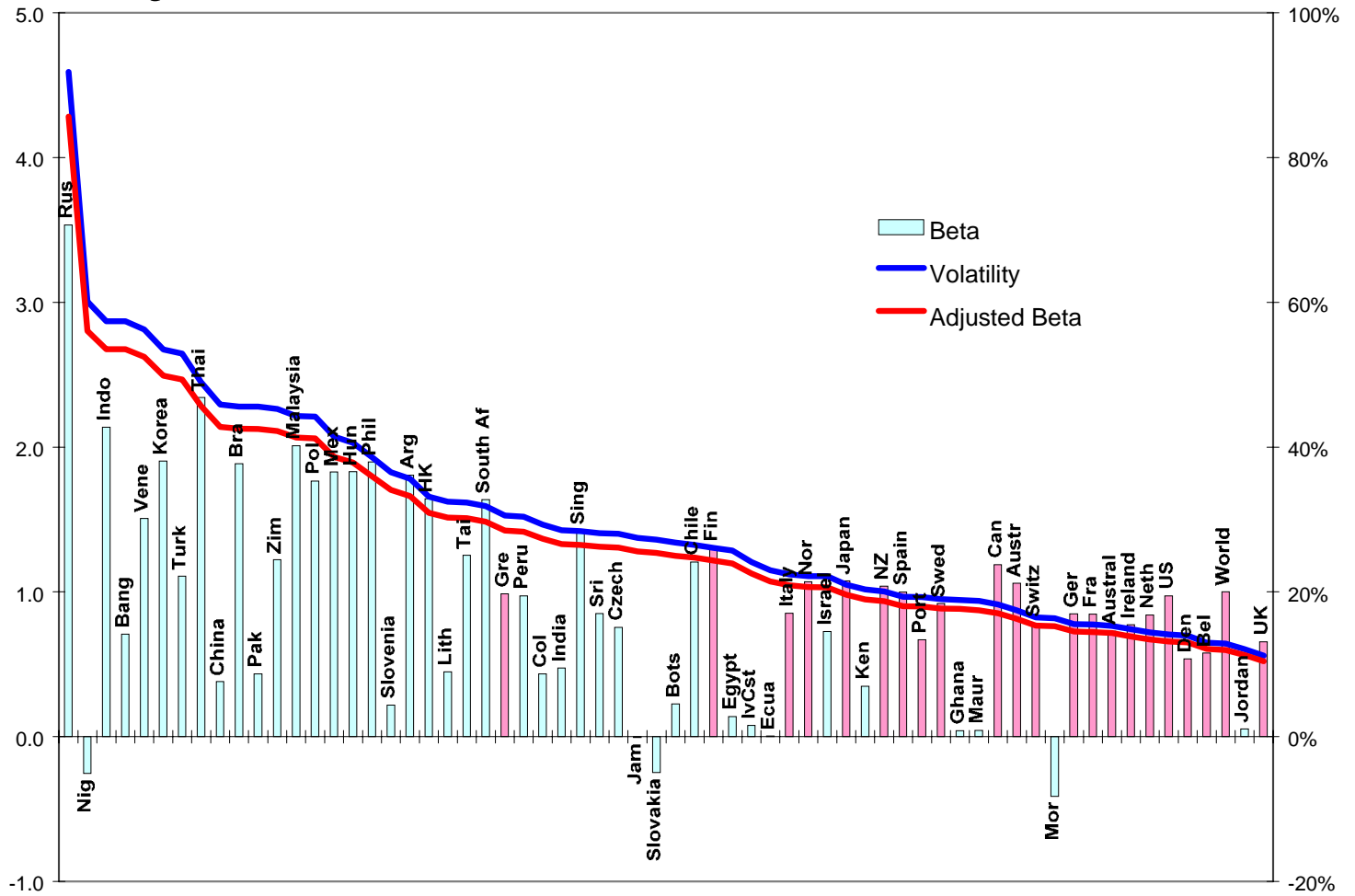
## ◆ Adjusted beta

- Step 2: Even using  $v_i$ , is there a risk of double counting, in the sense that economic and political developments may affect a country's credit spread *and* the volatility of its equity market?
- To deal with potential “double counting,” we propose an additional adjustment to  $v_i$ :

$$\begin{aligned}\beta_{a,i} &= 0.6 v_i \\ &= 0.6 \sigma_i / \sigma_m\end{aligned}$$

# Implementing the Framework

## ◆ Adjusted betas:



# Implementing the Framework

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- ◆ Adjusted betas:
  - Greater than 1.
  - Values for emerging markets tend to exceed those for more developed markets.

# Implementing the Framework

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## ◆ Data limitations:

- Some countries do not have traded, hard currency denominated debt.
- Some countries may not have equity markets (or deep, liquid) markets.

# Implementing the Framework

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## ◆ Data limitations:

- To overcome the absence of data, use a *yardstick* for country risk
  - Country ratings.
  - Surveys of Country Risk--Institutional Investor, Euromoney, etc.
- Using the yardstick, assign countries to tiers
  - In each tier, some countries will have hard-currency debt and equity markets.
  - Determine an average credit spread and an average adjusted beta for each tier.
  - Assign specific spread and adjusted beta to each country, based upon where the country falls in its tier.

# Proposed Framework

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- ◆ Incorporate several adjustments to standard CAPM:

$$R_i = R_{f,US} + \text{Credit Spread}_i + \beta_{a i} \times \text{Risk Premium}_m$$

US risk-free interest rate

US market risk premium

**Spread** to reflect the credit quality of country i

**Adjusted beta** for country i

The diagram illustrates the proposed framework for calculating the return on equity (R<sub>i</sub>) for a company in a foreign country (country i). The equation is: R<sub>i</sub> = R<sub>f,US</sub> + Credit Spread<sub>i</sub> + β<sub>a i</sub> × Risk Premium<sub>m</sub>. The terms are defined as follows: R<sub>f,US</sub> is the US risk-free interest rate; Credit Spread<sub>i</sub> is the spread to reflect the credit quality of country i; β<sub>a i</sub> is the adjusted beta for country i; and Risk Premium<sub>m</sub> is the US market risk premium. Arrows point from the descriptive text to the corresponding terms in the equation.

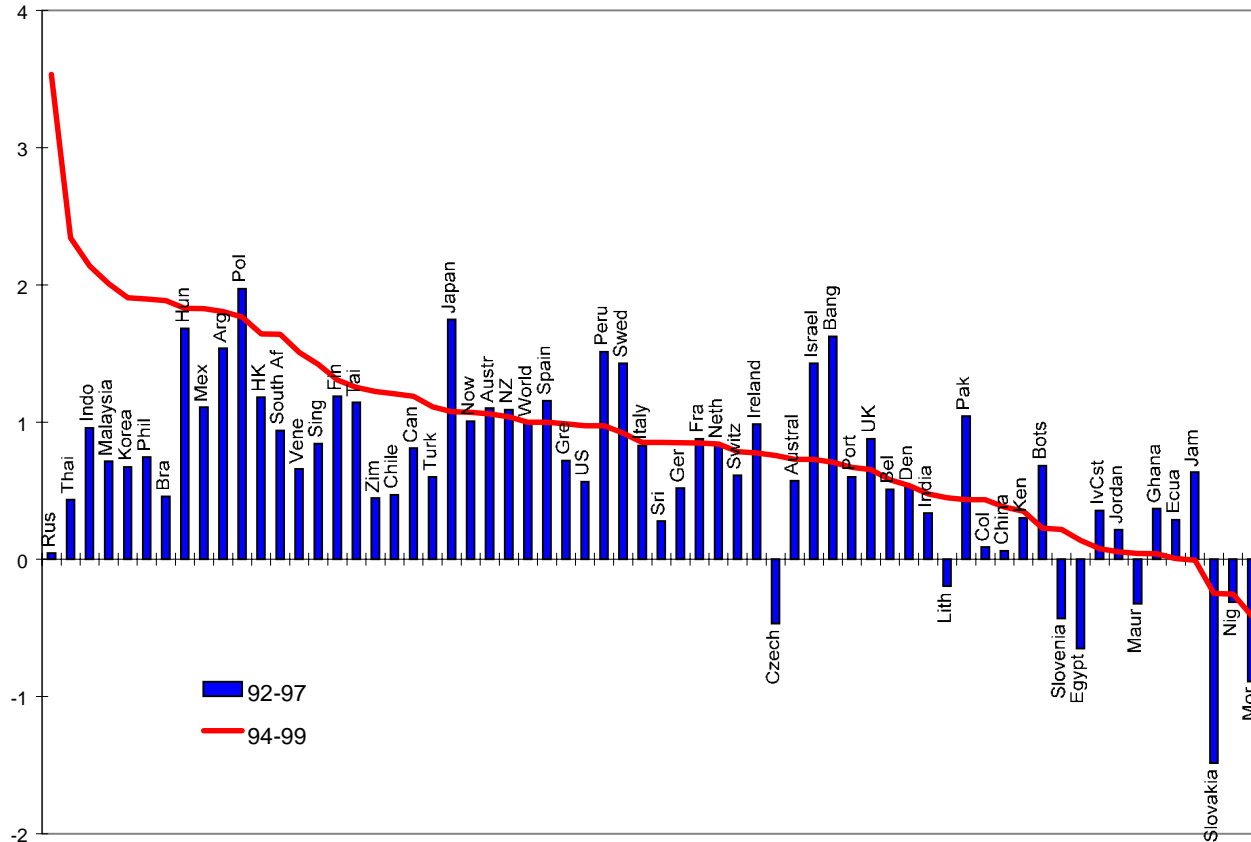
## Summary

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- ◆ To calculate benchmark estimates of the cost of capital for foreign investments or activities, begin with CAPM.
- ◆ Make several adjustments:
  - add a credit spread for the country in question,
  - beta to equal 0.6 times country's relative volatility
  - incorporate additional sector/industry factor.

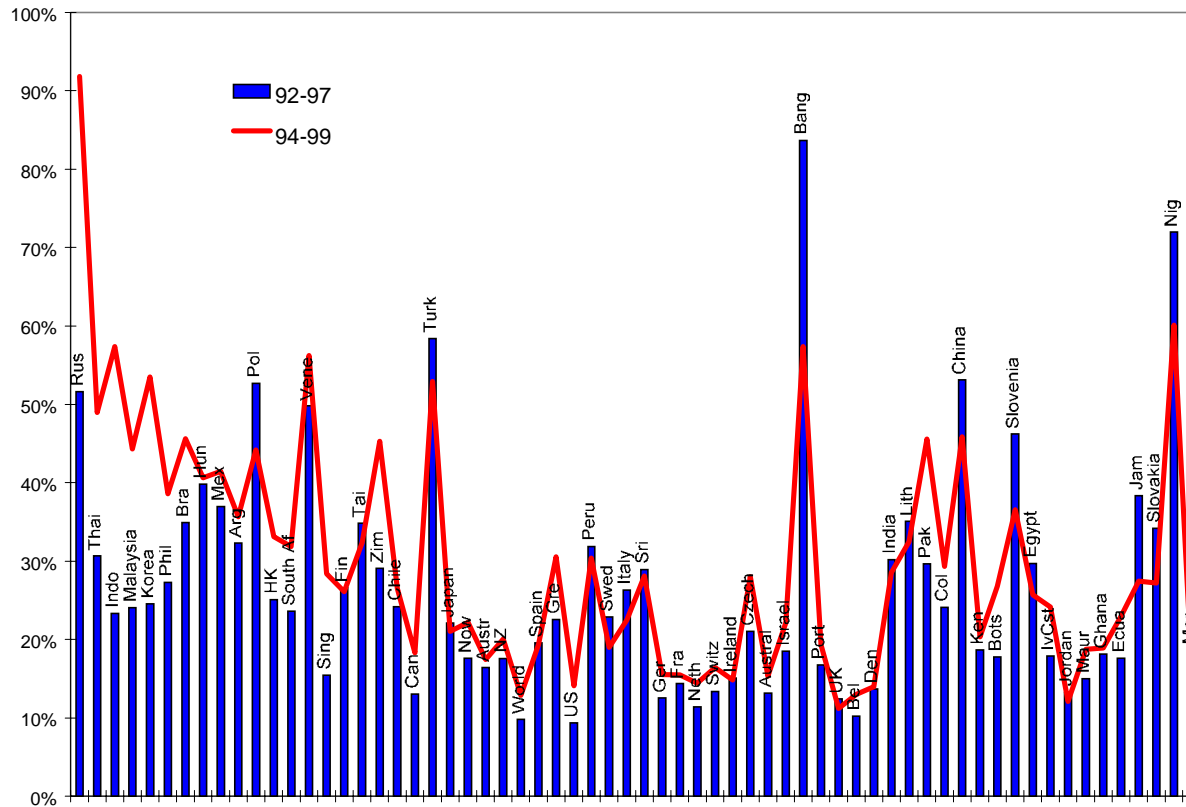
# Appendix

## ◆ Model performance over time: Estimated CAPM Betas



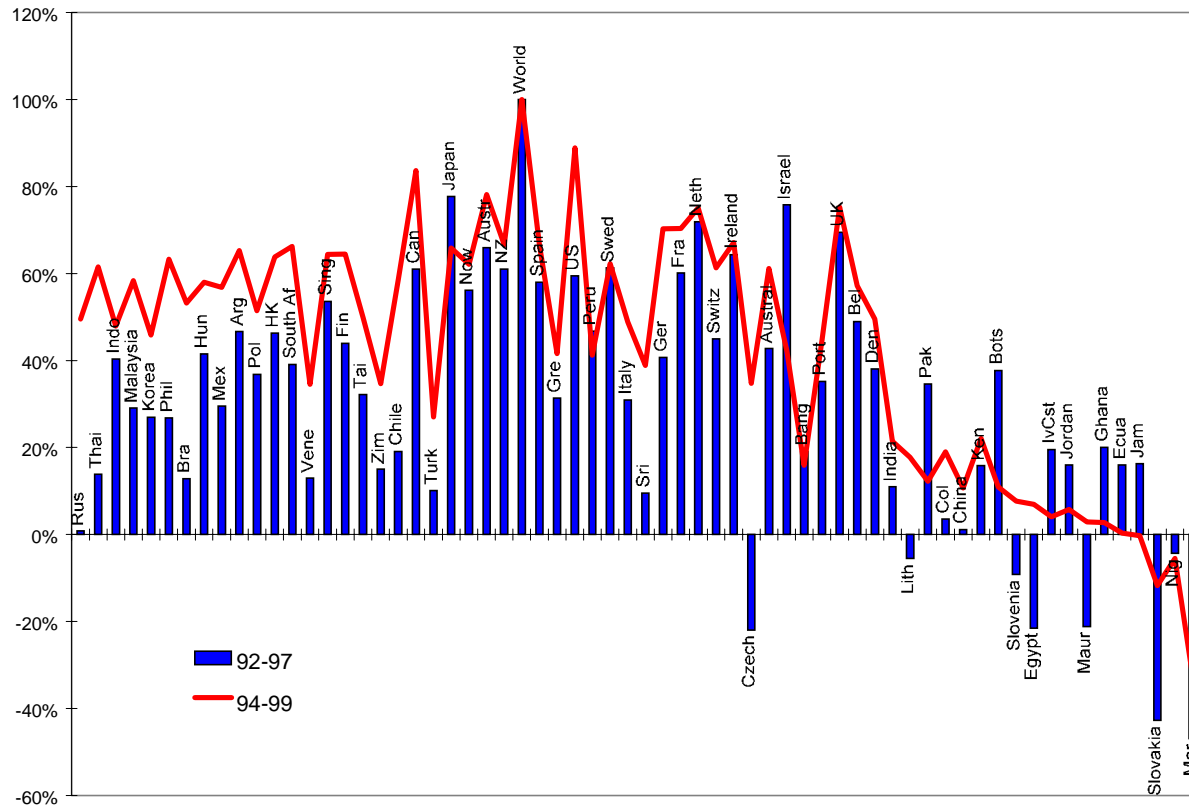
# Appendix

## ◆ Model performance over time: Slightly Changed Volatilities



# Appendix

## ◆ Model performance over time: Plus Changes in Correlation



# Appendix

## ◆ Model performance over time: Changes in Adjusted Beta

